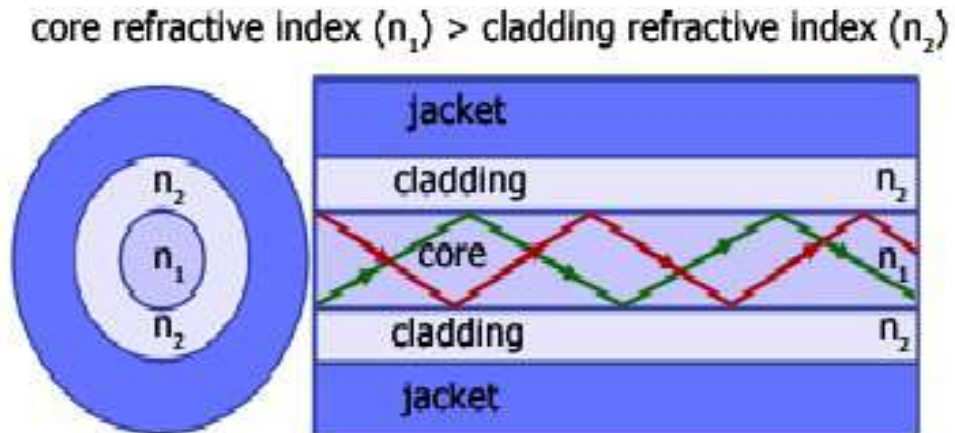


Optical Fibers

Optical fiber typically consists of a **core** of high refractive index surrounded by **cladding** with a lower refractive index. Light is totally internally reflected down the fiber at the boundary of the two media



Optical fiber has a number of advantages over copper wire

less attenuation.1

can carry more information .2

immune to electrical interference .3

safer - no fire risk as with electric currents .4

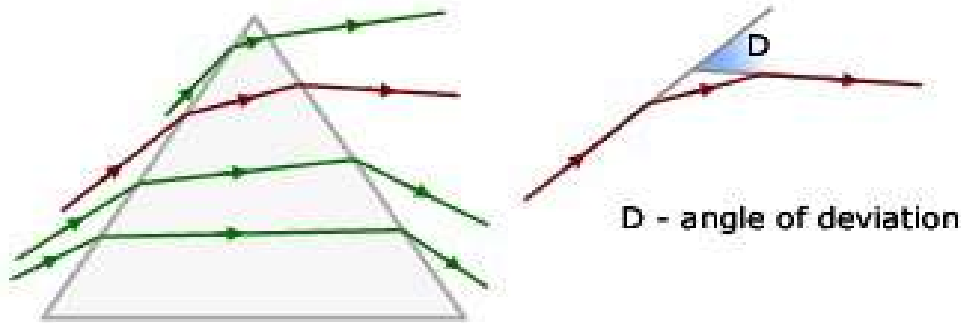
wire-tapping more difficult .5

Prisms-3

deviation.3-1

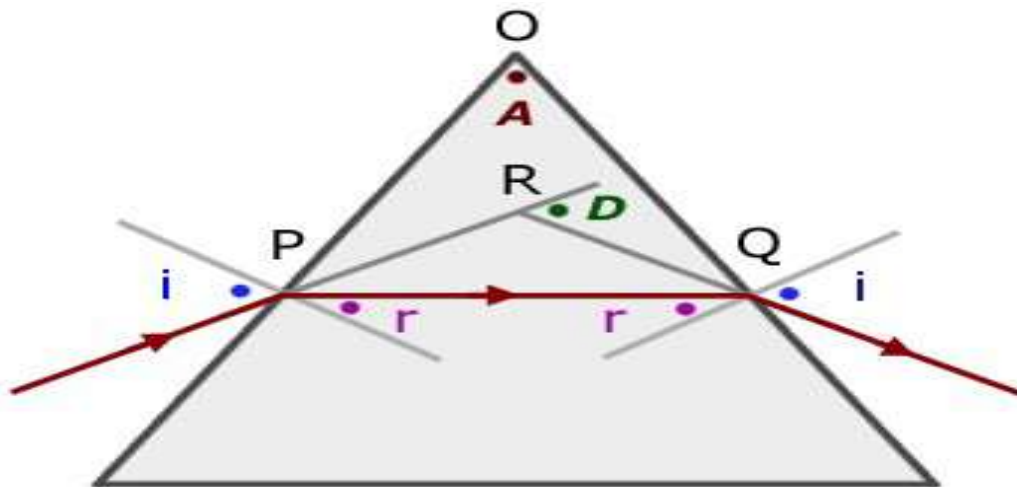
Deviation, measured in degrees, is the angle an incident ray is turned through after passing through a prism(or other optical component)

This deviation is a minimum for a prism when the path of a light ray is symmetrical about its axis of symmetry.



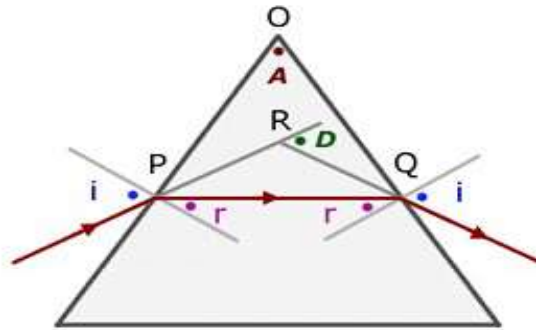
Derivation of Minimum Deviation.3-2

D



$\triangle PQR$

Derivation of Minimum Deviation D



In $\triangle PQR$

$$D = \angle RPQ + \angle PQR \quad (i)$$

(D external angle of $\triangle PQR$)

around points P and Q respectively,

$$i = \angle RPQ + r$$

$$i = \angle PQR + r$$

$$\angle RPQ = i - r$$

$$\angle PQR = i - r$$

substituting into equation (i)

$$\therefore D = 2(i - r)$$

(ii)

In $\triangle OPQ$

$$A + \angle OPQ + \angle PQQ = 180^\circ$$

$$A + (90^\circ - r) + (90^\circ - r) = 180^\circ$$

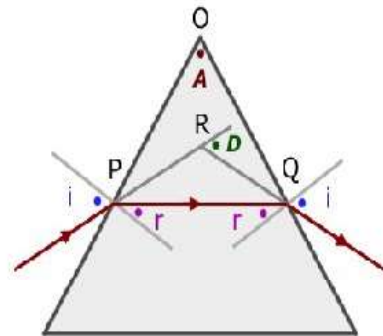
$$A = 2r$$

adding together equations (ii) & (iii)

$$\begin{aligned} A + D &= 2r + 2(i - r) \\ &= 2r + 2i - 2r \\ &= 2i \end{aligned}$$

$$i = \frac{A + D}{2}$$

(iv)



rearranging equation (iii),

$$r = \frac{A}{2}$$

(v)

Using Snell's Law equation,

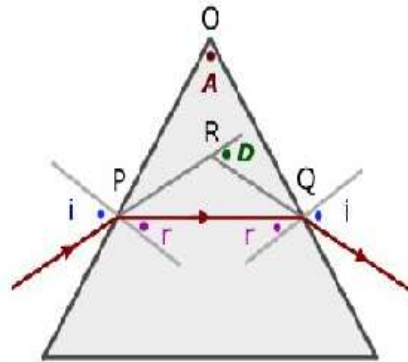
$$n_1 \sin(i) = n_2 \sin(r)$$

and substituting for i and r from equations (iv) & (v) above,

$$n_1 \sin\left(\frac{A+D}{2}\right) = n_2 \sin\left(\frac{A}{2}\right)$$

n_1 is the refractive index of air which approximates to 1. Hence the equation becomes:

$$\sin\left(\frac{A+D}{2}\right) = n_2 \sin\left(\frac{A}{2}\right)$$



Example •

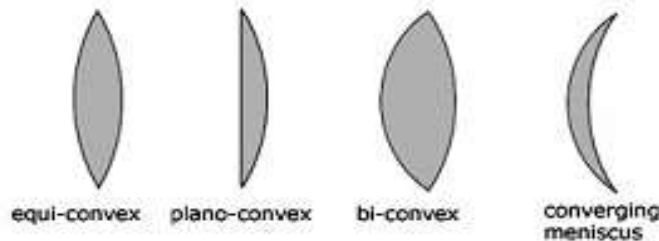
So for a 60° equilateral prism made of glass ($n = 1.5$ approx.), the minimum deviation angle D is given by

Chromatic dispersion 3-4

The term **Chromatic dispersion** describes how refractive index changes with wavelength for a particular medium

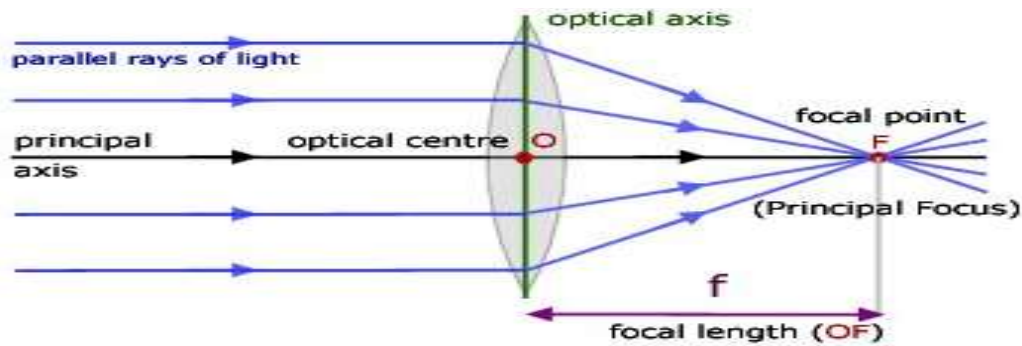
Convex Lenses -4

Types of lens



All four types of convex lens are converging lenses. That is, they bring parallel rays of light to a focus, producing a real image.

Basic ray diagram .4-2



The basic ray diagram for a convex lens introduces a number of important terms

principal axis - the line passing through the centers of curvature of the lens

focal length - the horizontal distance between the principal focus and the optical center of the lens

optical center - an imaginary point inside a lens through which a light ray is able to travel without being deviated

center of curvature - the center of the sphere of which the lens surface is part

Power of a lens 4-3

The power P of a lens is the inverse of its focal length f . Since f is measured in meters 'm' the units of lens power are m^{-1}

$$P = \frac{1}{f}$$

The power also depends on the type of lens. **Convex** lenses have **positive** powers, while **concave** lenses all have **negative** powers

To understand ray diagrams it is important to know something
: about images. Images come in two categories
real images - are produced from actual rays of light coming to a
_focus (eg a film projected onto a screen)
virtual images - are produced from where rays of light appear to
be coming from (eg a magnifying glass image)
note - the lens is considered to be so thin as to be represented by
_the axis of the lens(green)